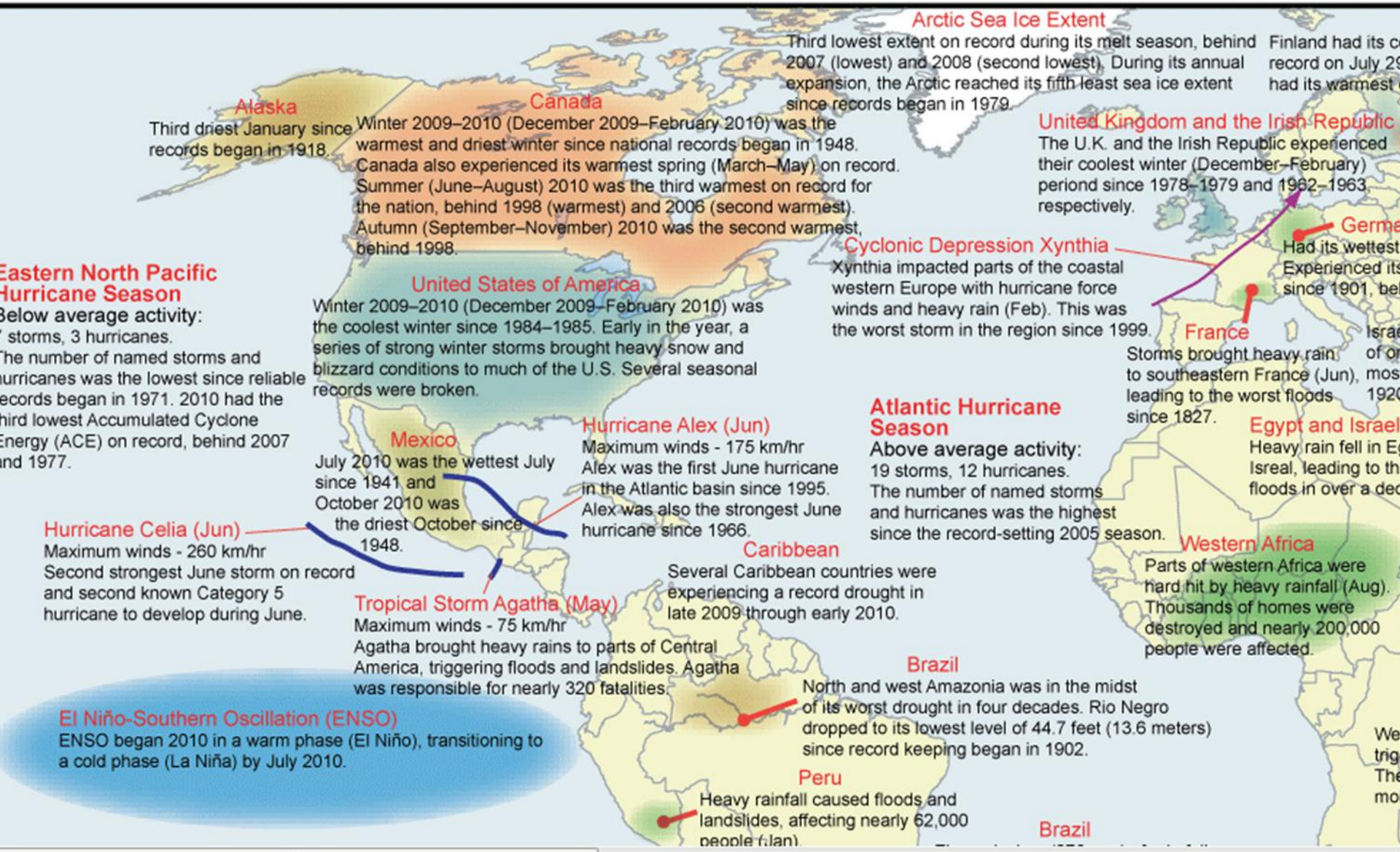


Assignments

- Class Notes 2 review questions due today
- Additional assignment: due Feb. 8
 - Read AMS draft policy statement on communicating science
 - http://www.ametsoc.org/policy/draftstatements/communicating_science_draftstatement.pdf
 - Summarize and critique the draft statement in a couple paragraphs
 - Comment in a couple paragraphs on the role of appropriate use of statistics for communicating science

2010 Climate

- <http://www.ncdc.noaa.gov/sotc>



changing climate, continual information about climate helps assess the incidence, short-term and weather-scale tornado activity and tropical is to give the recent climate based on 131 years of ts as well as paleoclimate standing of the Earth's climate A discussion of century-scale temperature and precipitation is of 2010 extreme events.

ort can be found online at: [otc](#)

ANOMALIES IN 2010

For this manuscript is NOAA's surface Temperature (Smith et 1880, making for a 131-year 2010 global (land and ocean e temperature anomaly was as the warmest calendar year global land temperature tied est year on record, and the e tied with 2005, but for 2010

may were the warmest on record for the respective month. This tied 2010 with 1998 as the calendar years with the most such "warmest months" on record, with three each. December 2010 was the coolest December since 2000.

2010 Annual Temperature	Anomaly vs. 1901-2000 avg	1880-2010 Rank (131 years)	
Global			
Land	+0.96°C	2 nd warmest	tied 2005
Ocean	+0.49°C	2 nd warmest	tied 2005
Land & Ocean	+0.62°C	Warmest	tied 2005
Northern Hemisphere			
Land	+1.08°C	2 nd warmest	
Ocean	+0.51°C	3 rd warmest	tied 2003
Land & Ocean	+0.73°C	Warmest	
Southern Hemisphere			
Land	+0.65°C	5 th warmest	tied 2003
Ocean	+0.49°C	5 th warmest	
Land & Ocean	+0.51 °C	6 th warmest	

Table 1. 2010 surface temperature anomaly (°C) and rank. Source: NOAA/NCDC.

with 2005, but for 5
of 2010 temperature
000 base period, is
anomalies occurred
nd, and a large area
specially north of the
to South Asia. The
o quite warm. Cool
and Mongolia, the
eastern Pacific. The
temperature ranks are

y as 2009, the year
te phases of ENSO
st few months of the
autumn, La Niña had
ngthened through the

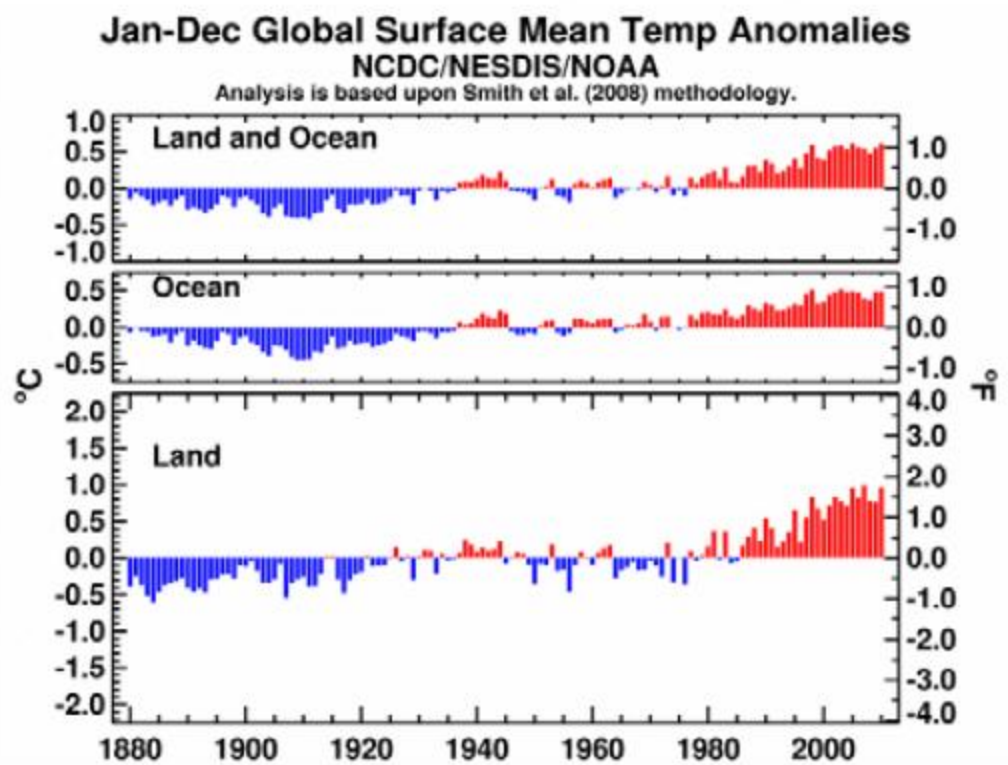


Fig.1. Global surface temperature anomalies for 1880-2010. Source: NOAA/NCDC.

Northern Hemisphere Sea Ice Extent September Anomalies, 1979-2010

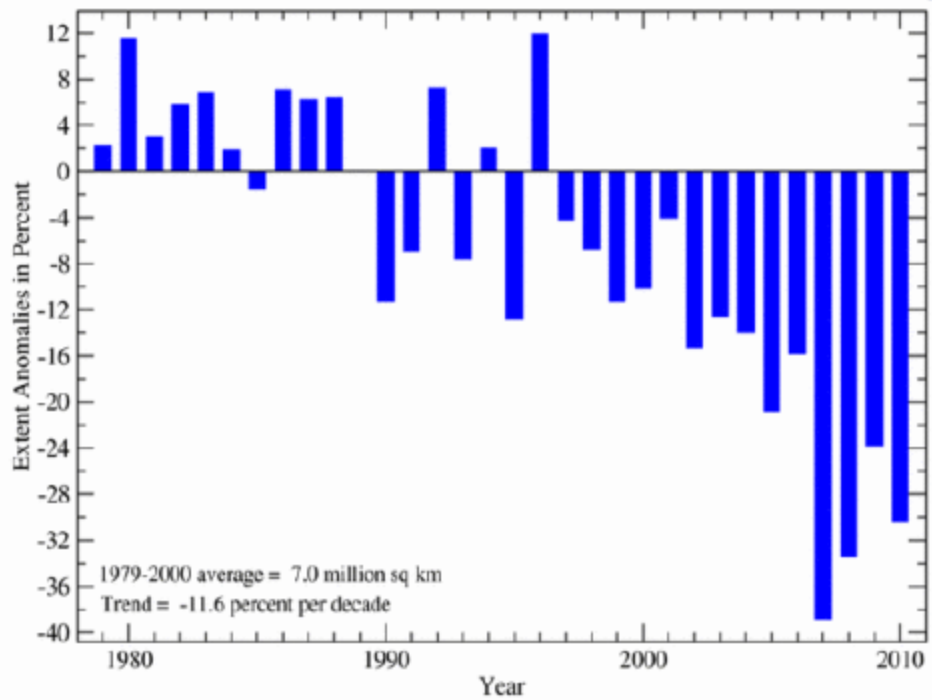


Fig. 6 Northern Hemisphere sea ice anomalies, September 1979-2010. Source: National Snow & Ice Data Center.

counts ended 30 Jun
65 tropical storms, w
average of 85.6. O
alternatively, typhoon
the long-term average
total of 35. Tropical
summarized in Table
are preliminary.

Only the North A
normal activity, con
during La Niña, whic
shear conditions du
named storms is the
season, and tied wit
the modern record
seasons also occur
storms reaching hur
the modern era, b
extremely active Atl
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strength. This occ

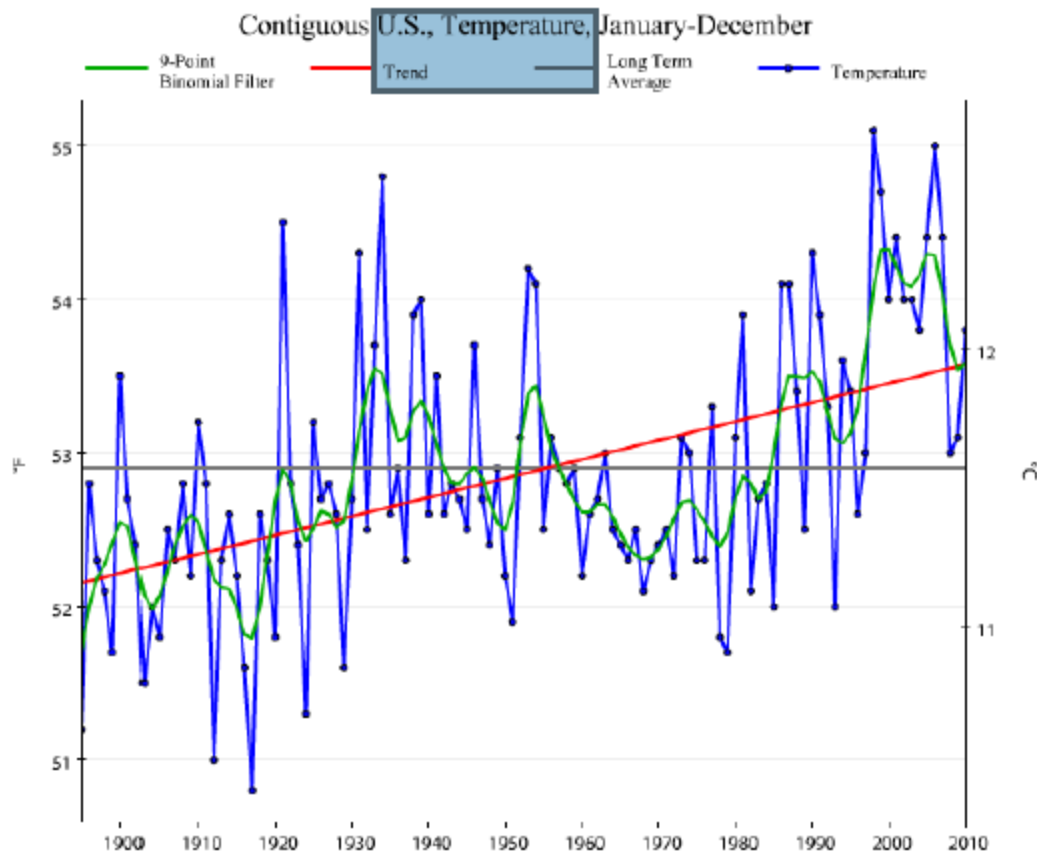
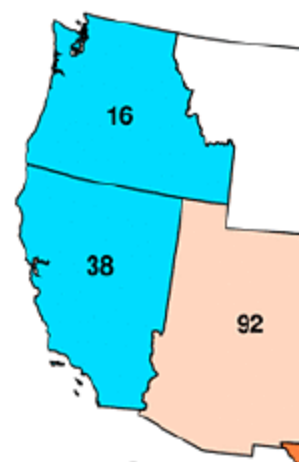


Fig. 7. Contiguous U.S. average annual temperatures, 1895-2010. Source: NOAA/NCDC.

April-September National Climate



Temperature

1 = Coldest
116 = Warmest



Fig. 9. Warm-sea

ide Ranks

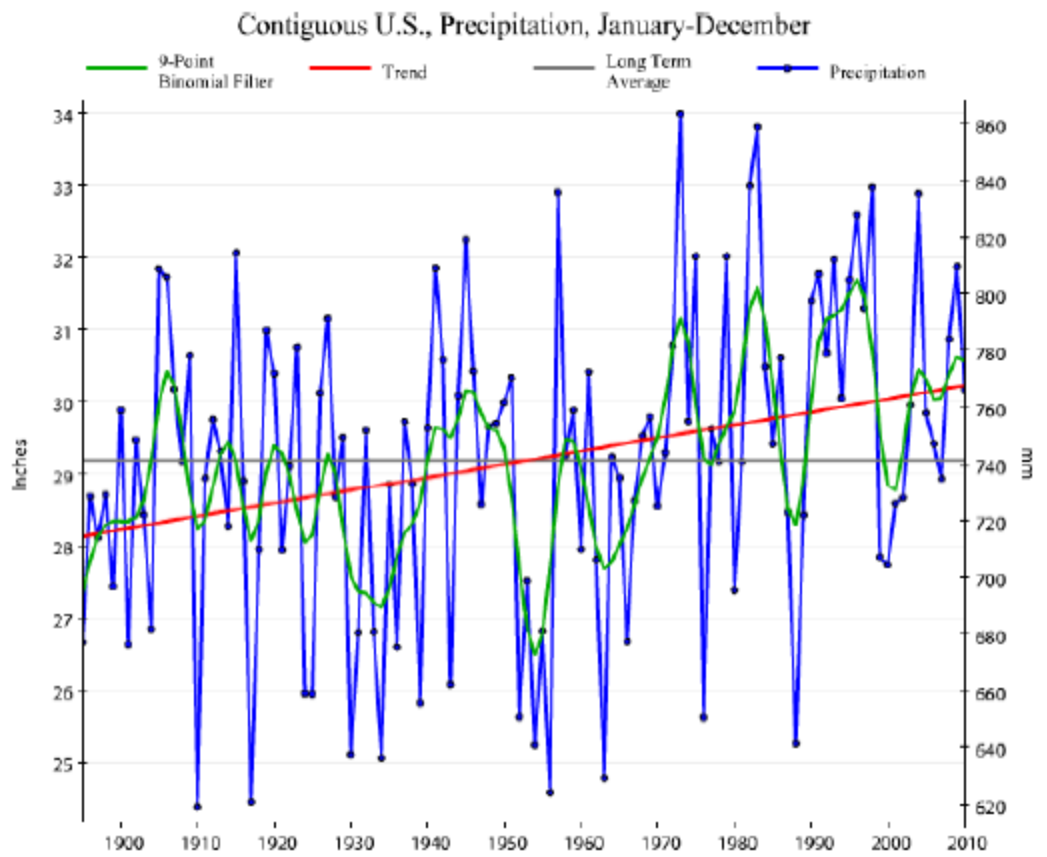
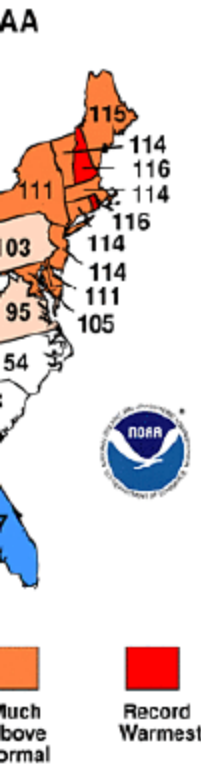


Fig. 10. Contiguous U.S. annual average precipitation, 1895-2010. Source: NOAA/NCDC.

ature ranks for

Changes in Climate Normals

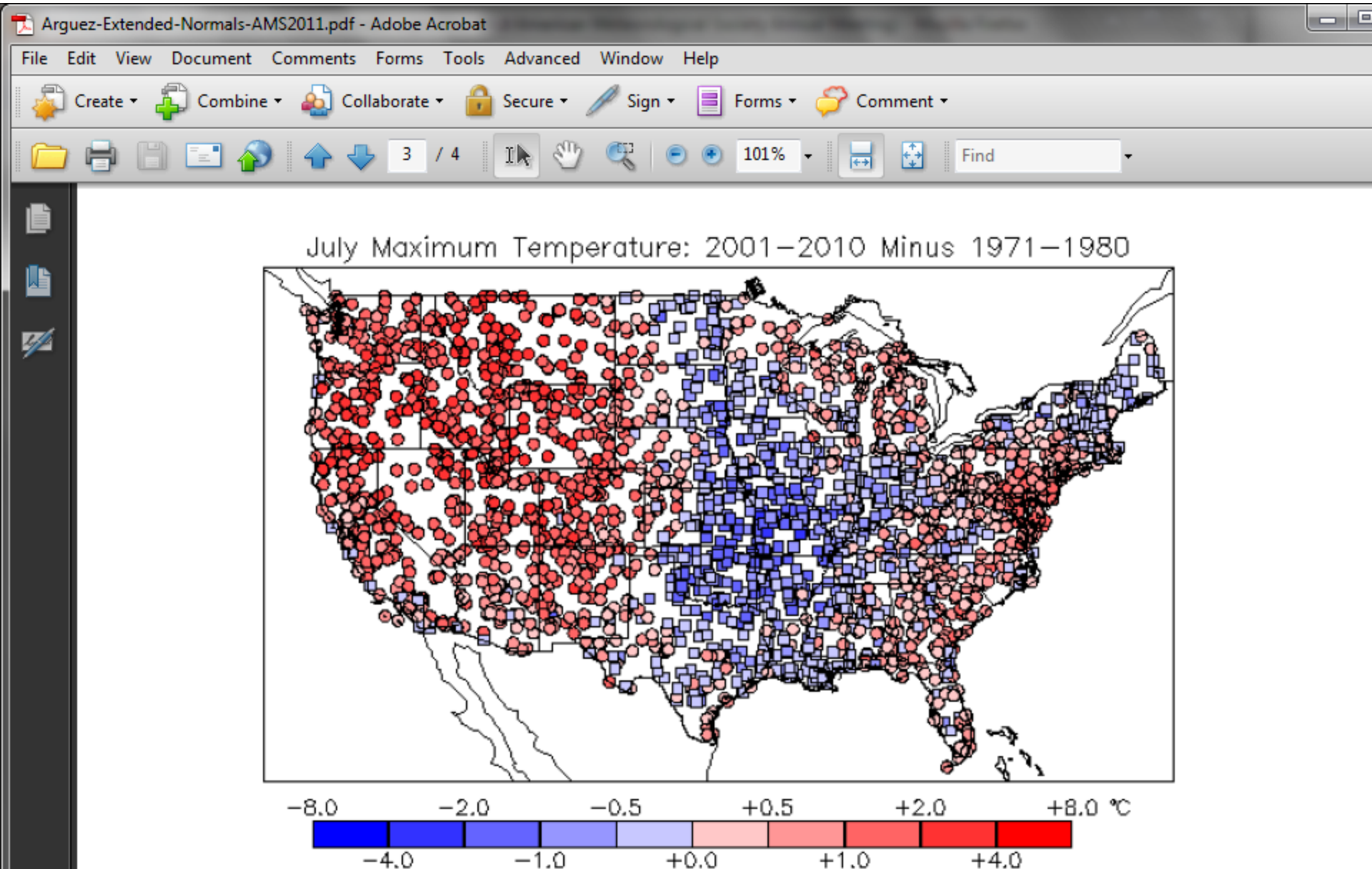


Figure 1. The difference between the decade-averaged maximum temperatures in July

Changes in Climate Normals

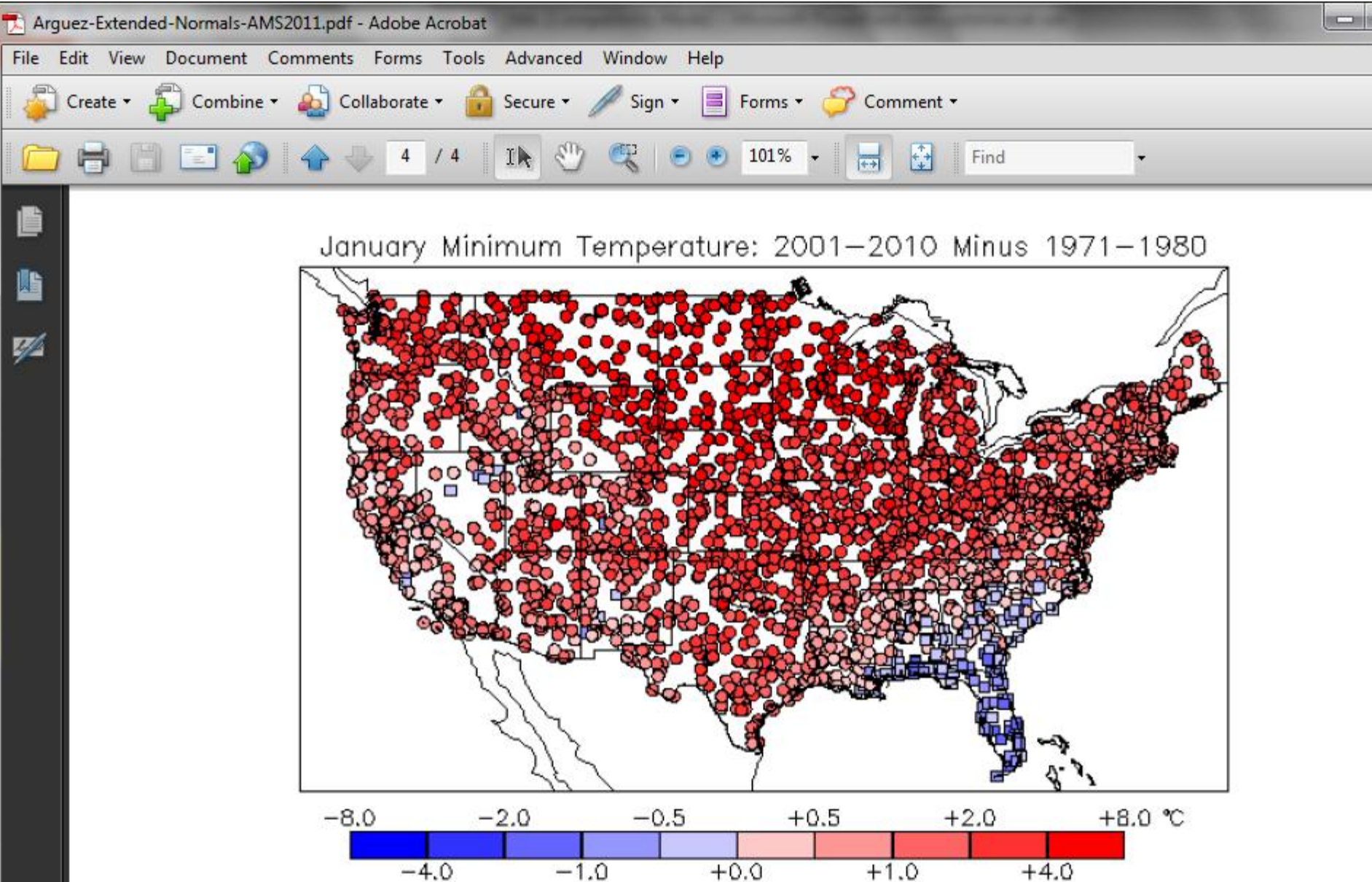
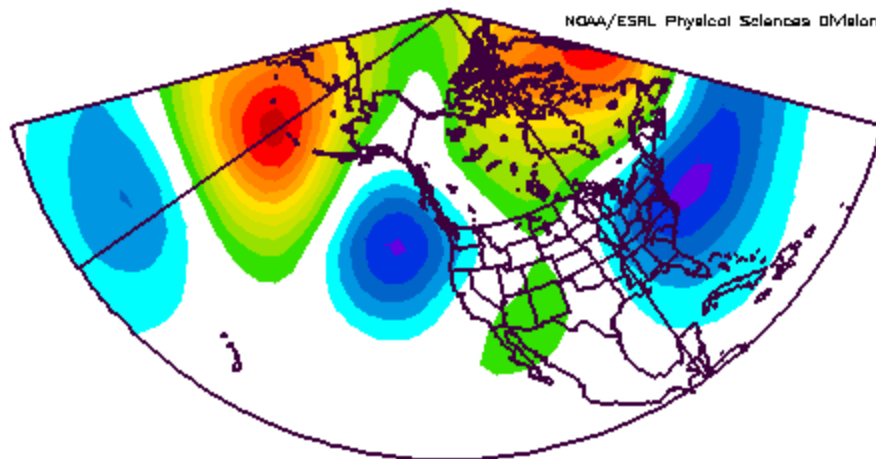


Figure 2. Same as Figure 1, but for January minimum temperatures.

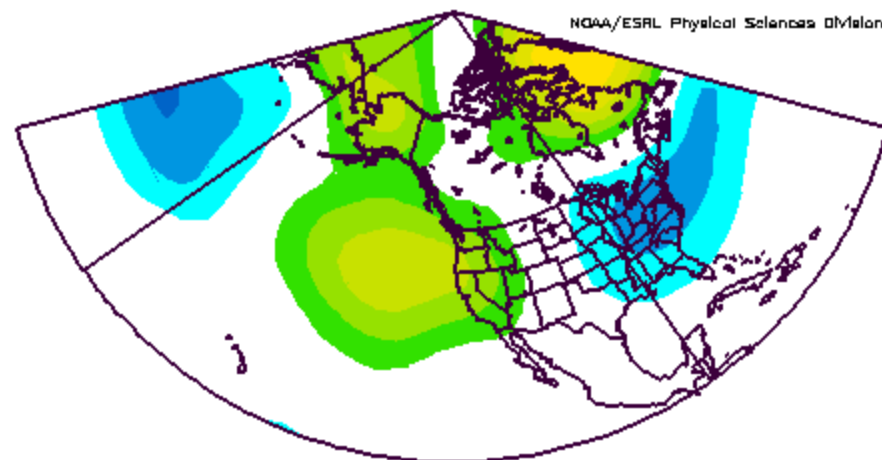
NOAA/ESRL Physical Sciences Division



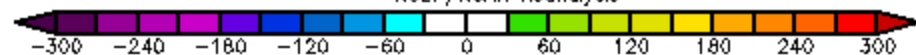
500mb Geopotential Height (m) Composite Anomaly (1968-1996 Climatology)
12/1/10 to 12/31/10
NCEP/NCAR Reanalysis



NOAA/ESRL Physical Sciences Division

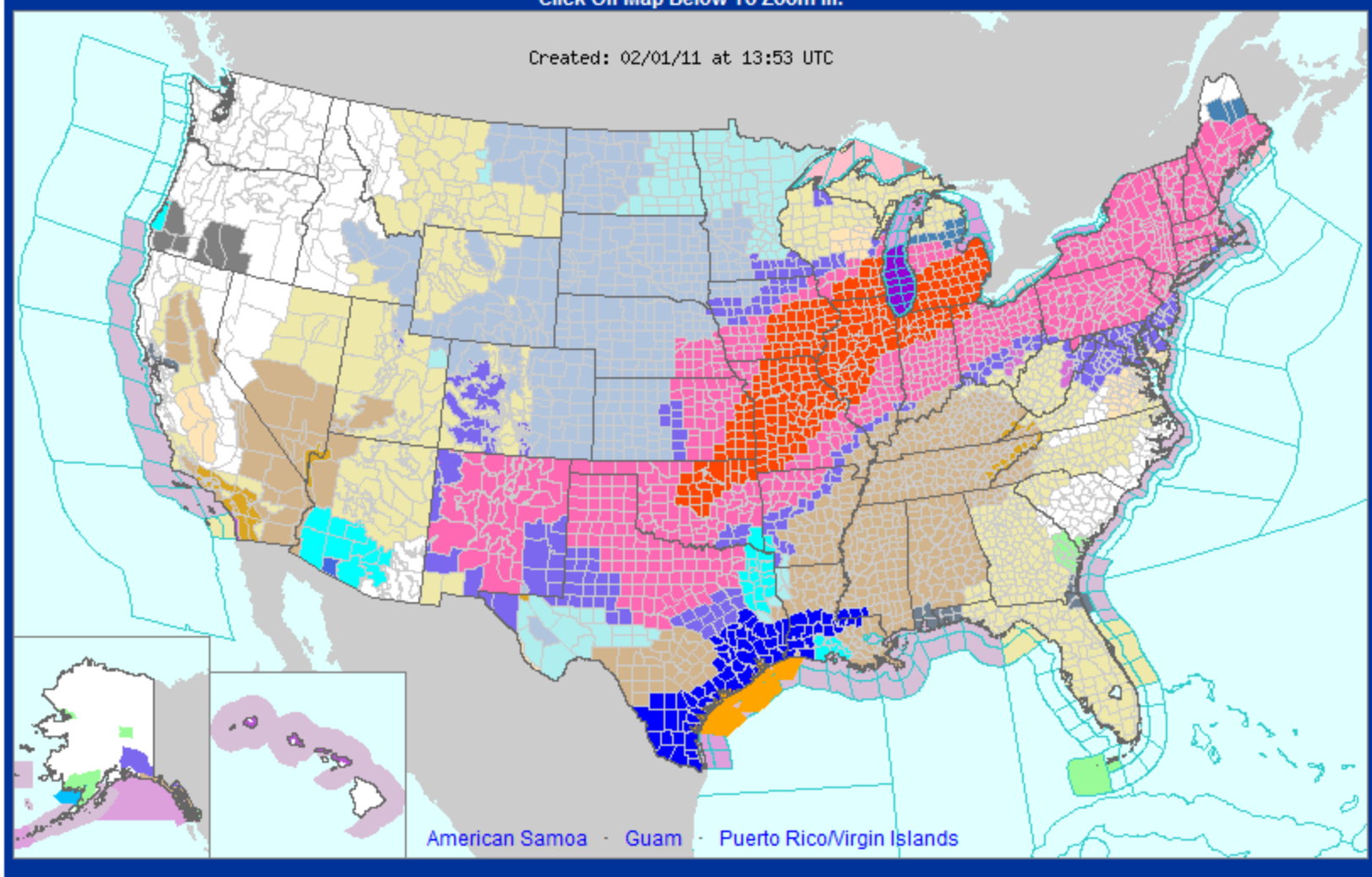


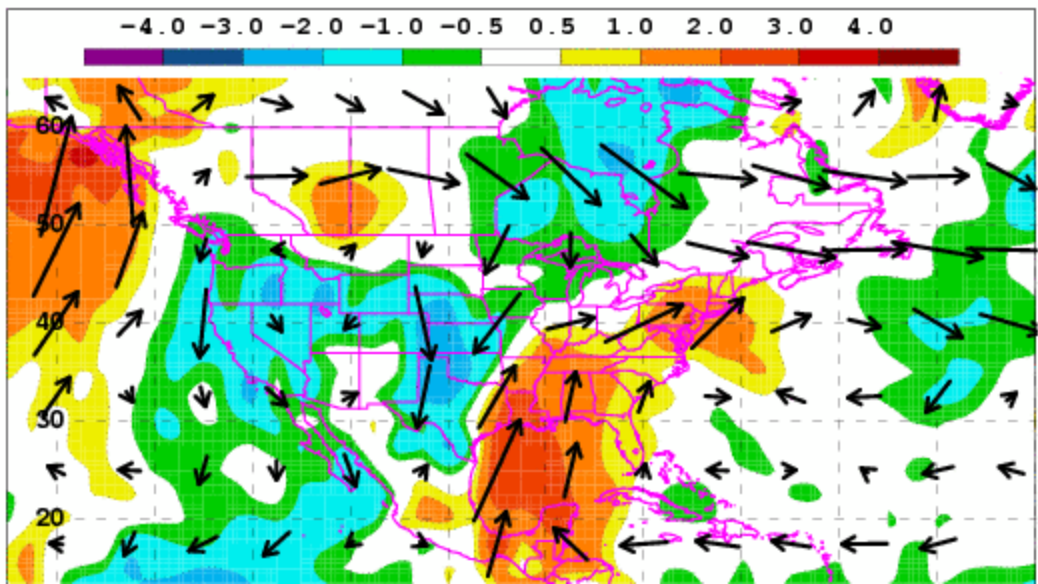
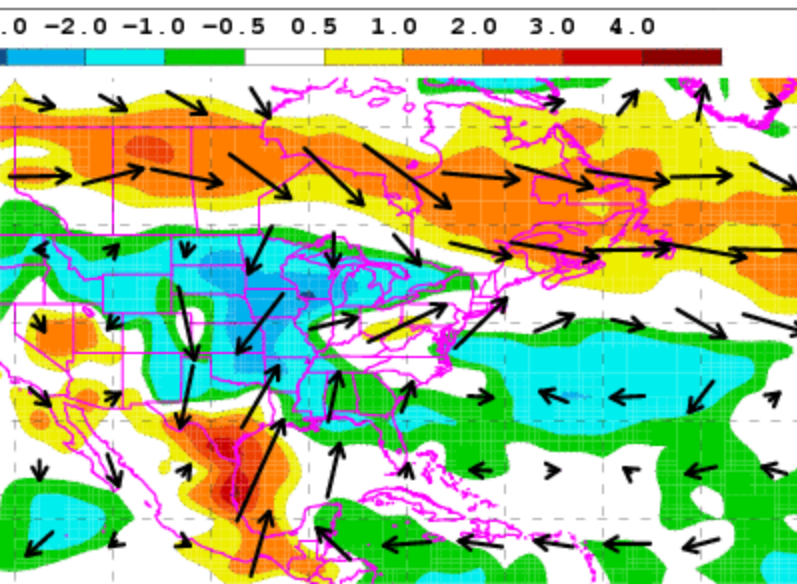
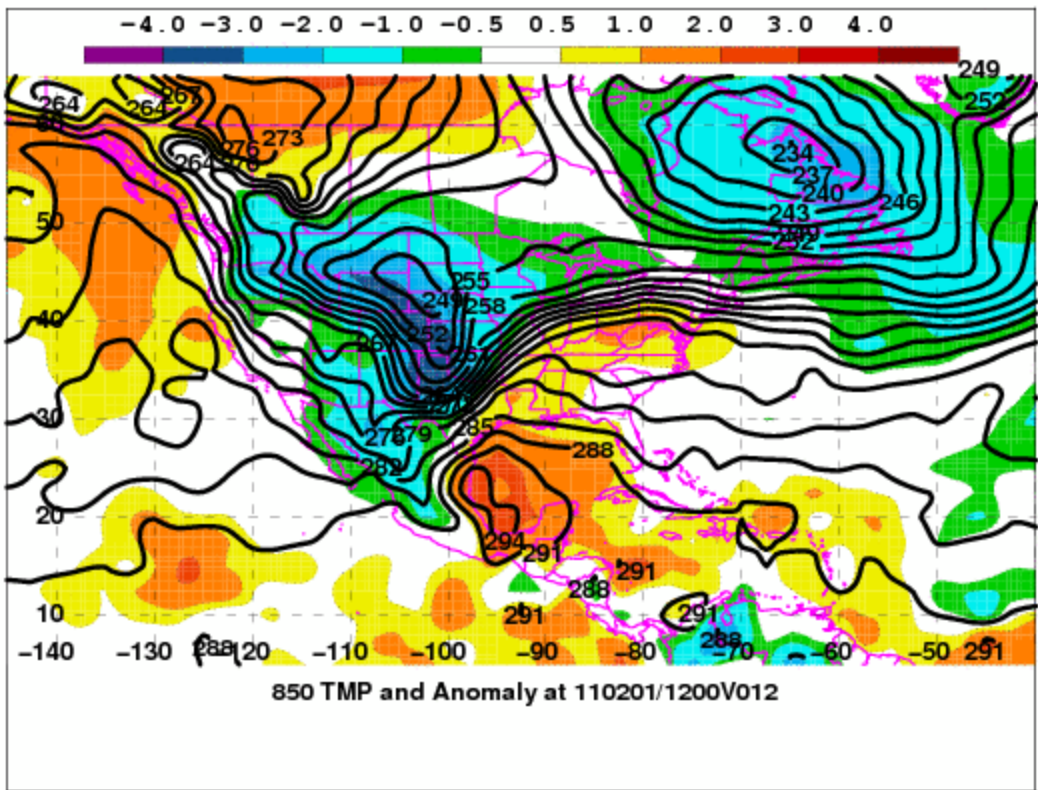
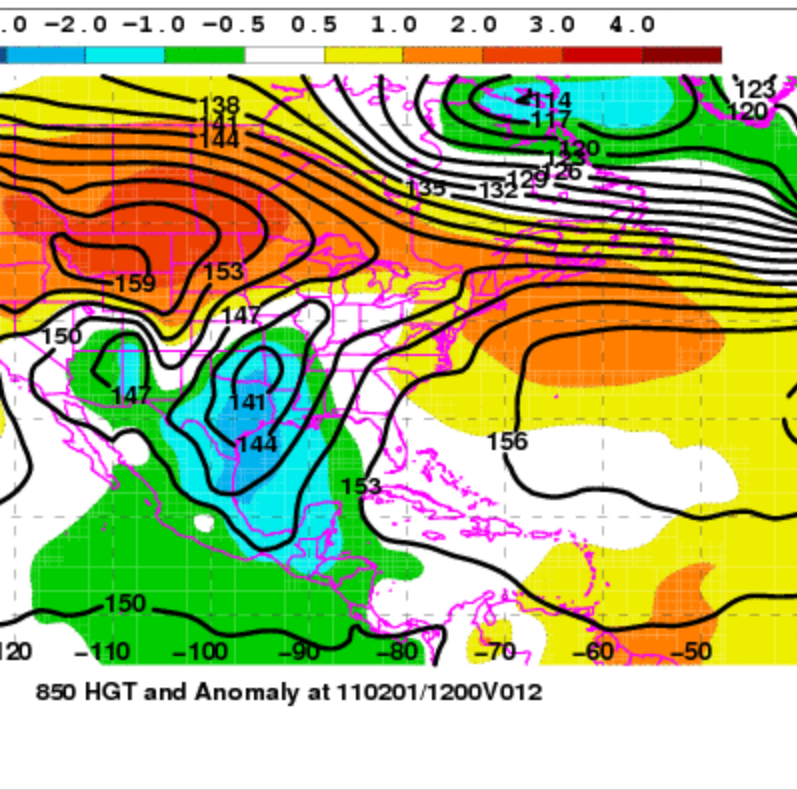
500mb Geopotential Height (m) Composite Anomaly (1968-1996 Climatology)
1/1/11 to 1/29/11
NCEP/NCAR Reanalysis

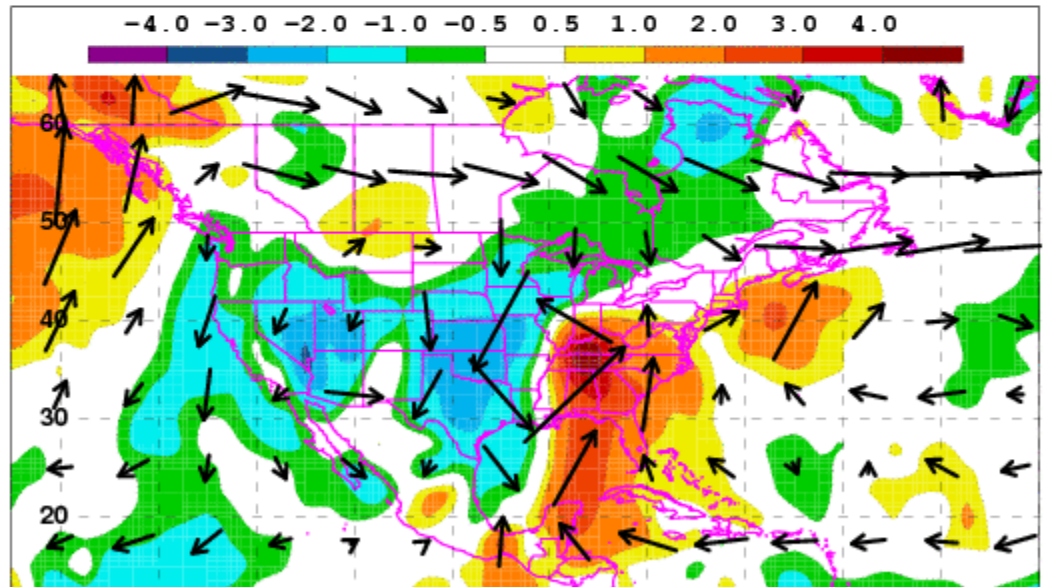
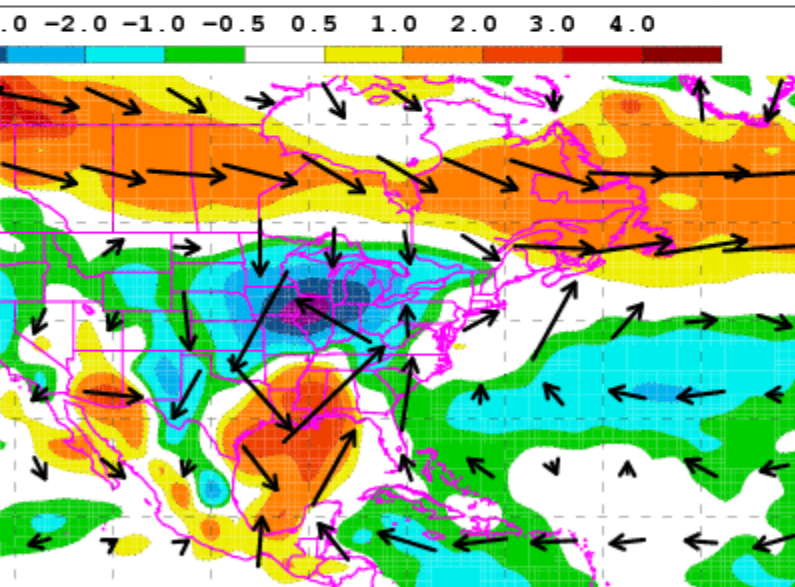
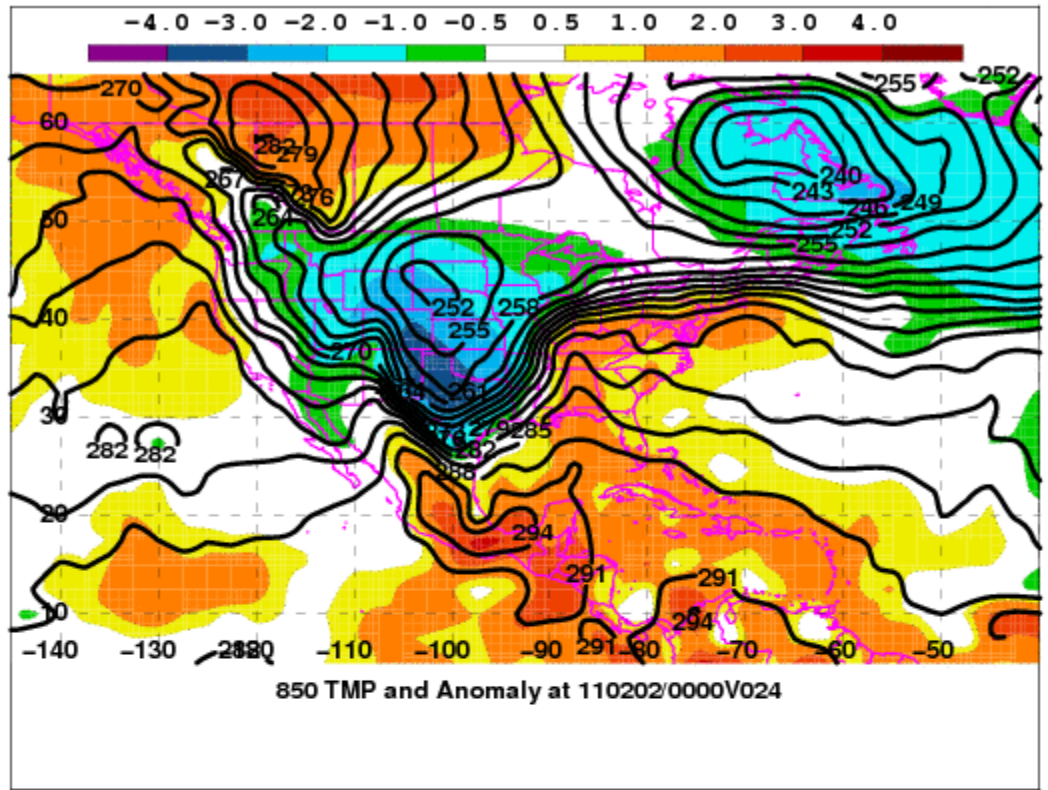
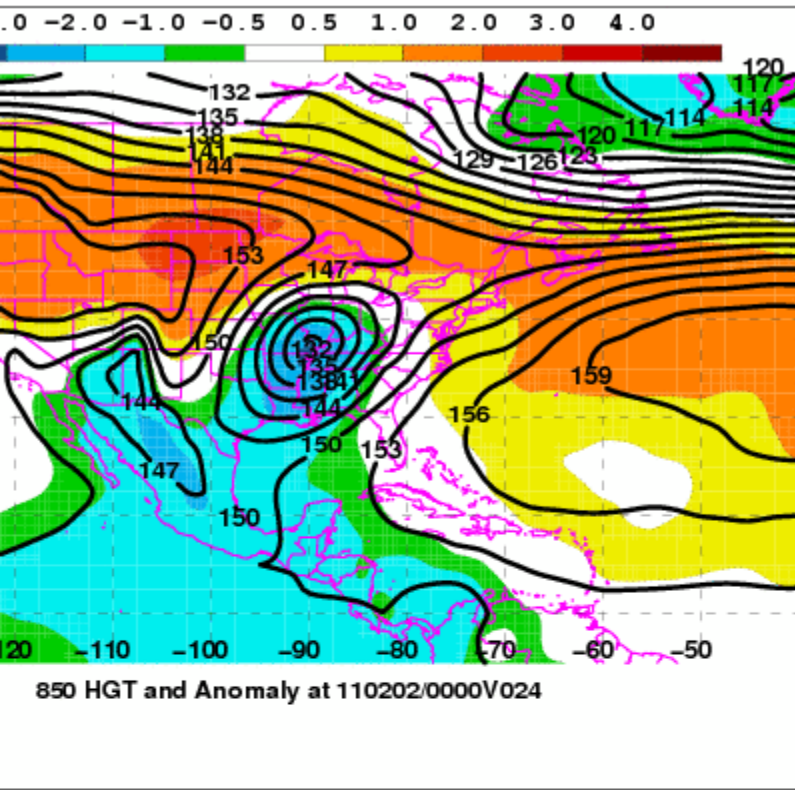


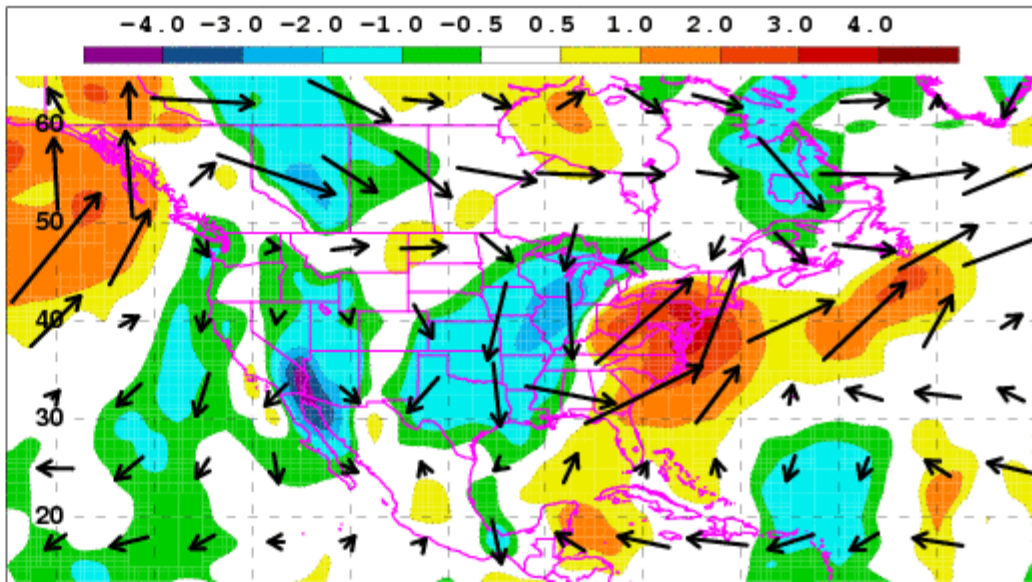
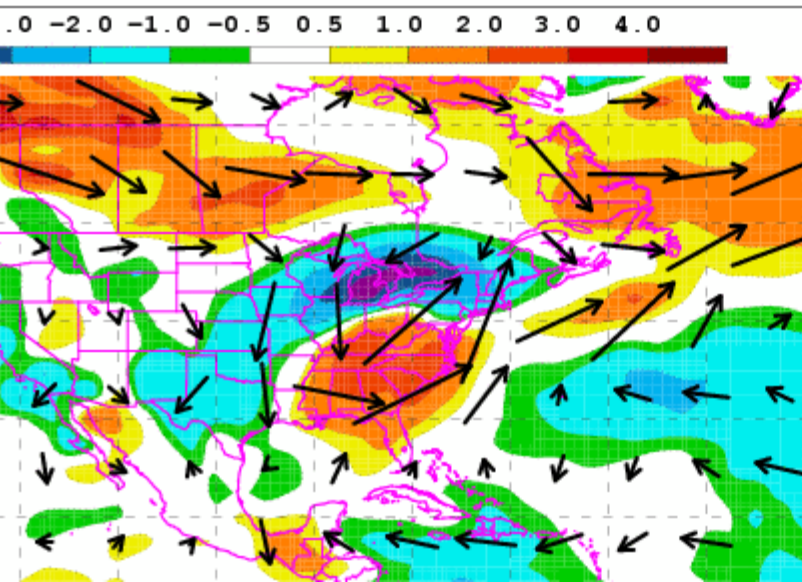
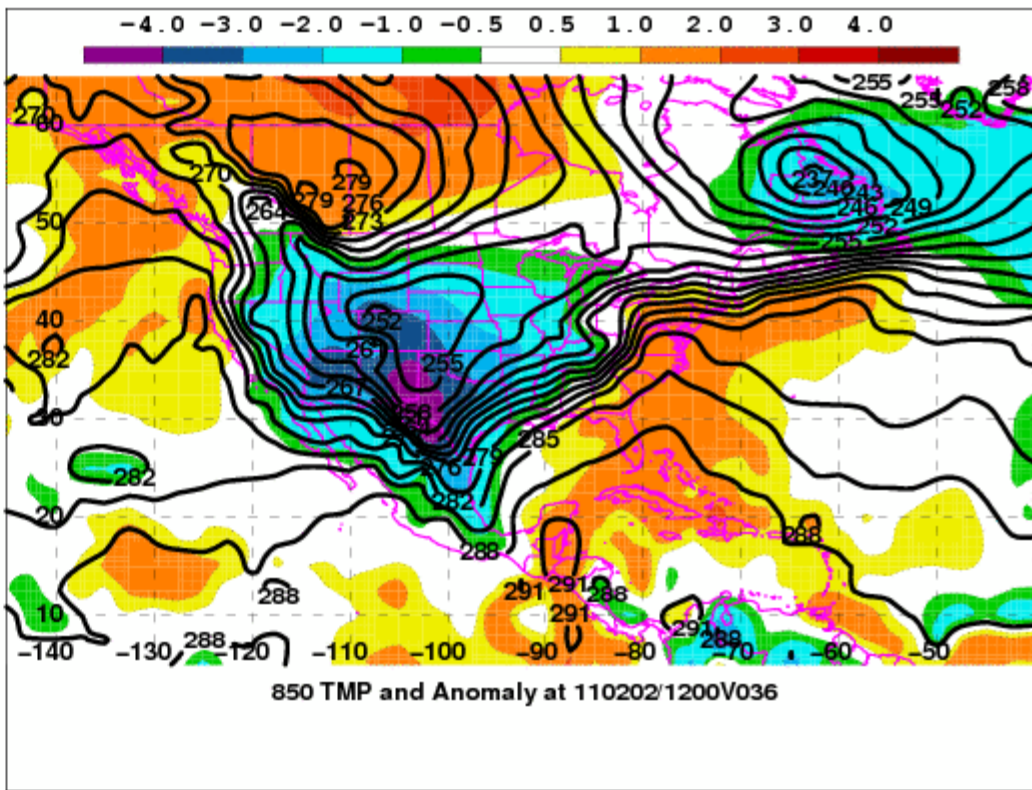
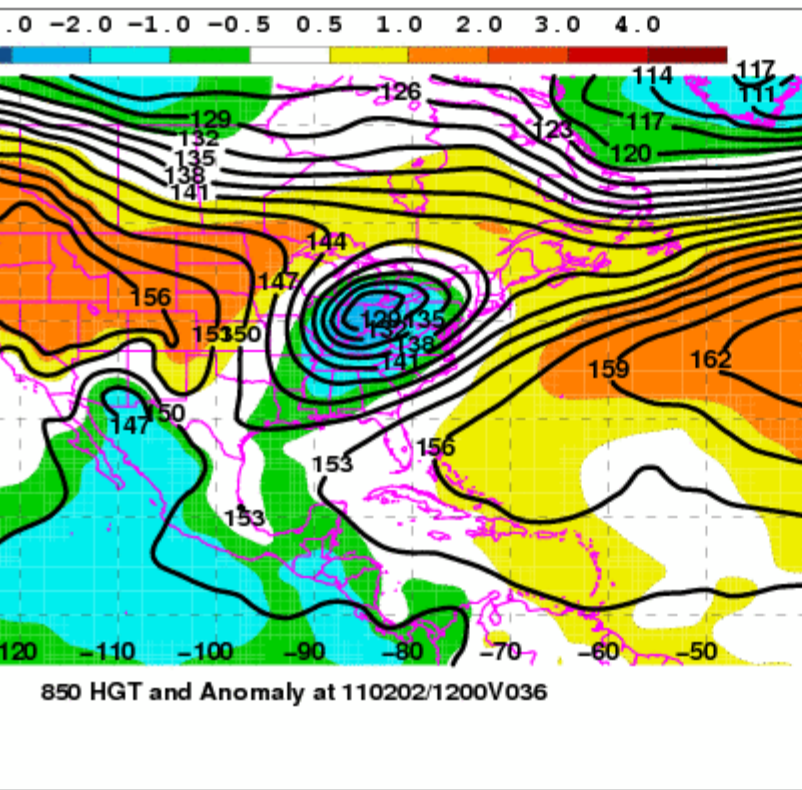
Click On Map Below To Zoom In.

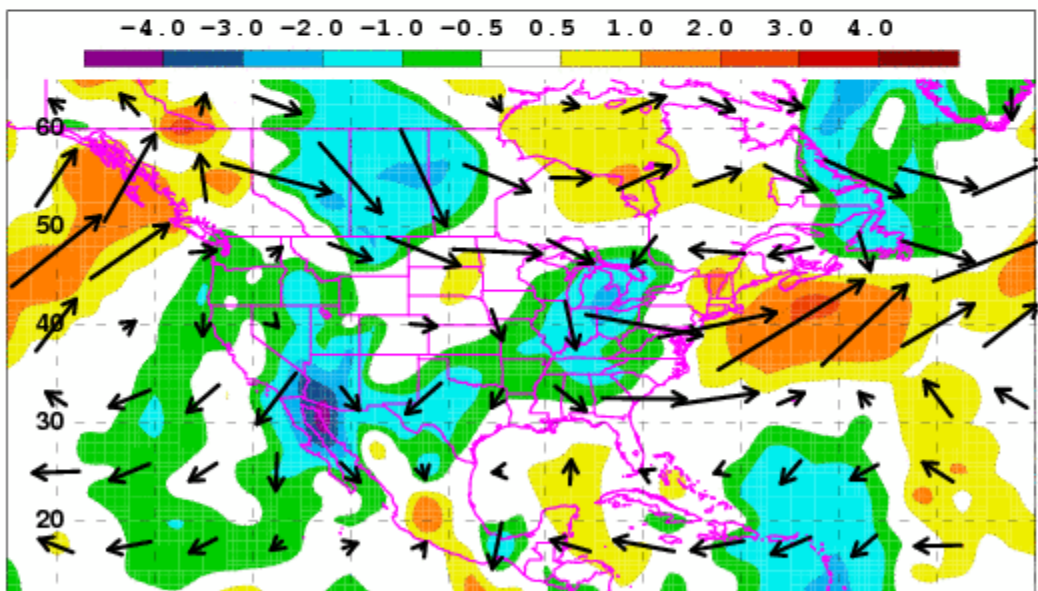
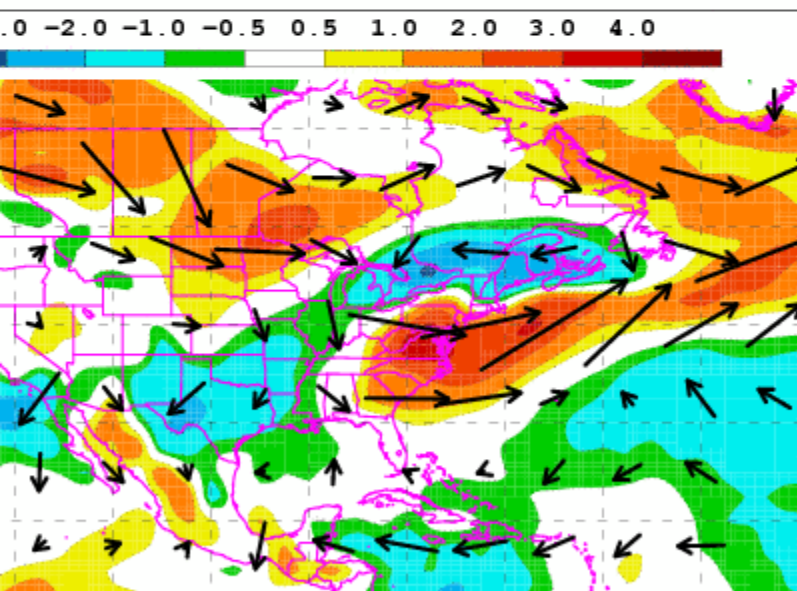
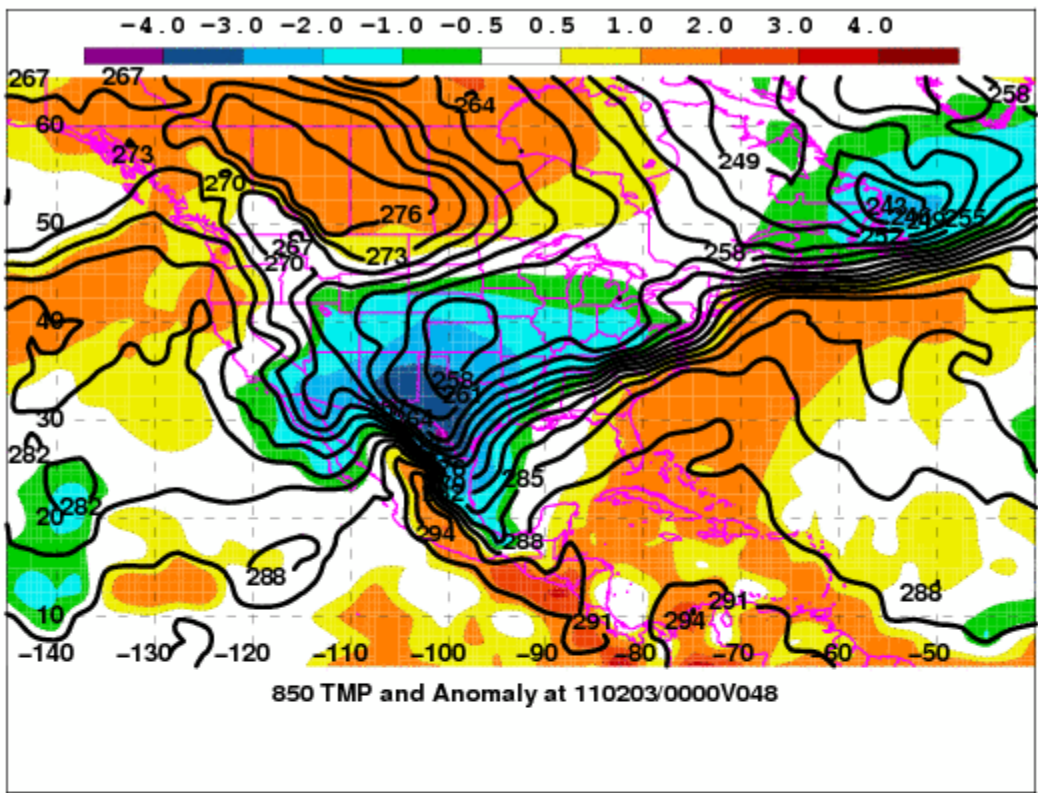
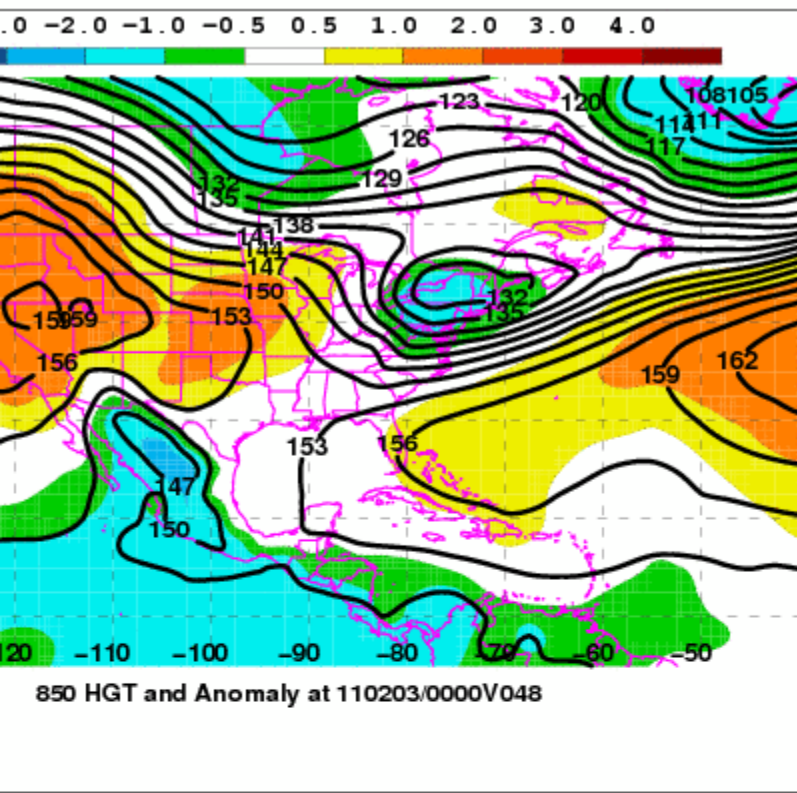
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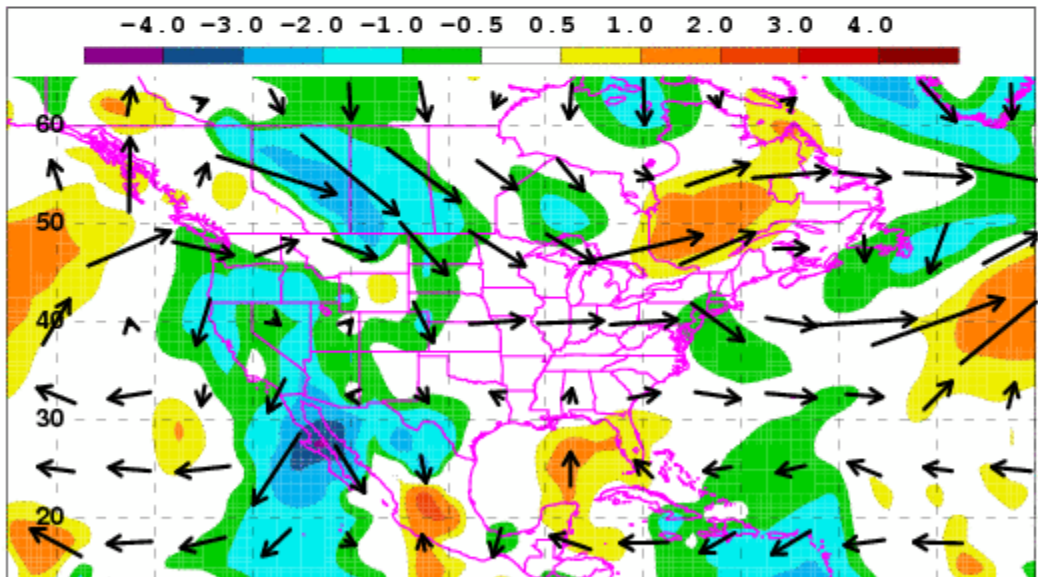
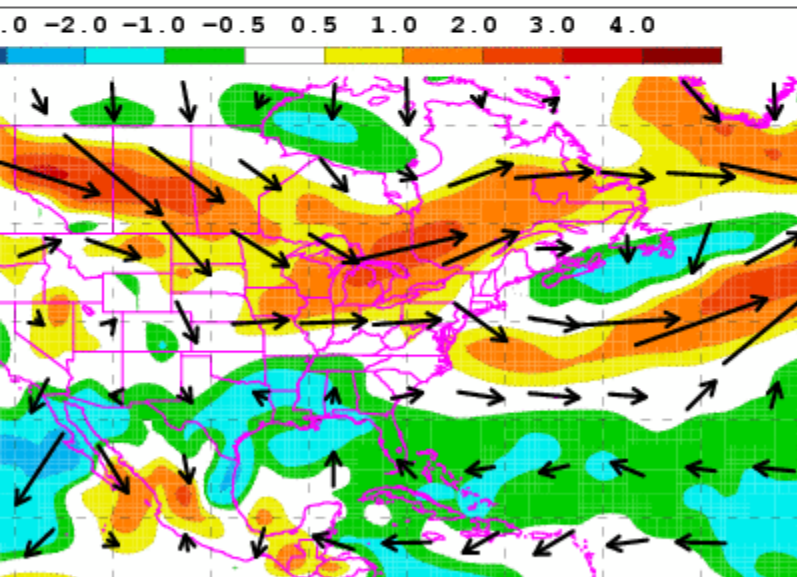
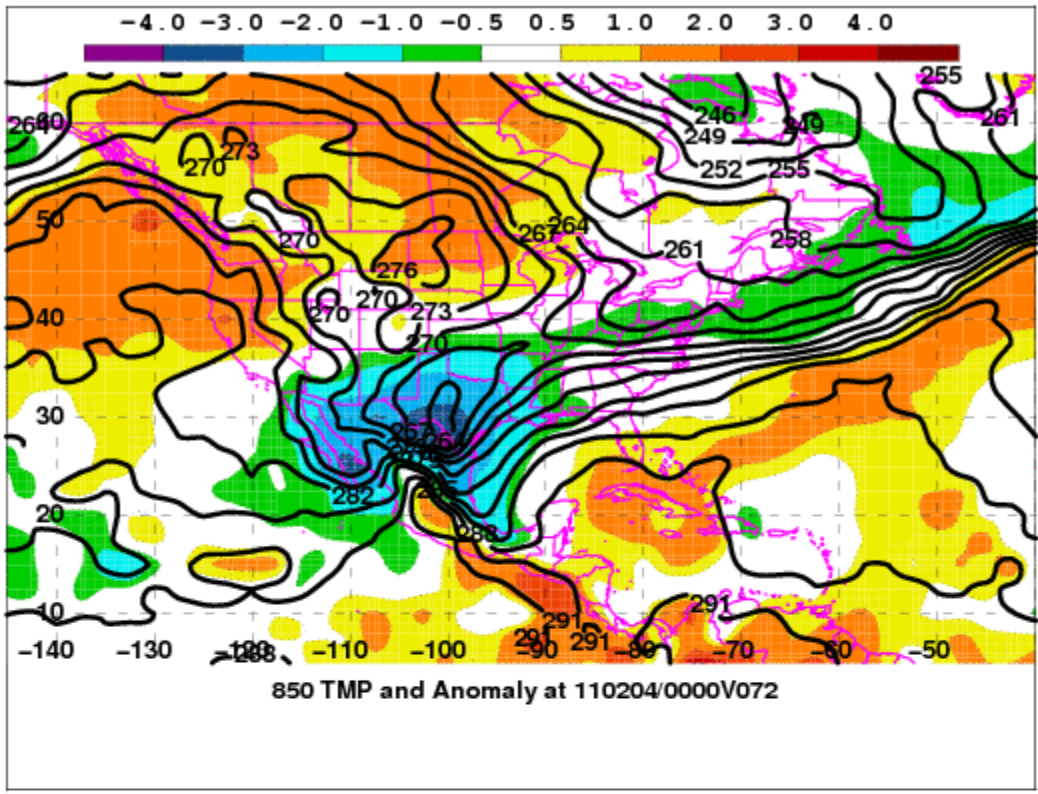
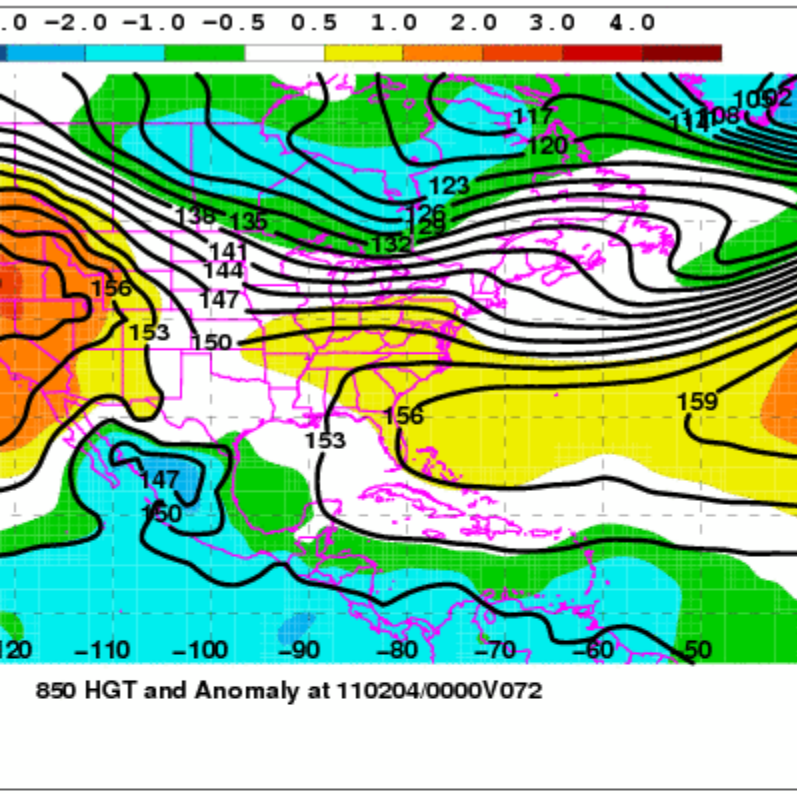












Probability Definitions

- Event- possible uncertain outcomes
- Null event- can't happen
- Elementary event- can't be decomposed into other events
- Compound event- decomposable into 2 or more elementary events
- S- sample or event space- all possible elementary events
- Mutually exclusive- two events that can't occur at same time
- MECE- Mutually exclusive and collectively exhaustive- no more than 1 event can occur and at least one event will occur

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2 / 11 150% Find

Probability of each event
location and location.

ts

ty obvious, but
aticians involved,
oms”, lemmas, etc.
any event is
n English: an event
or else it is not an

Temperature below Precipitation below	Temperature above Precipitation below
Temperature below Precipitation above	Temperature above Precipitation above

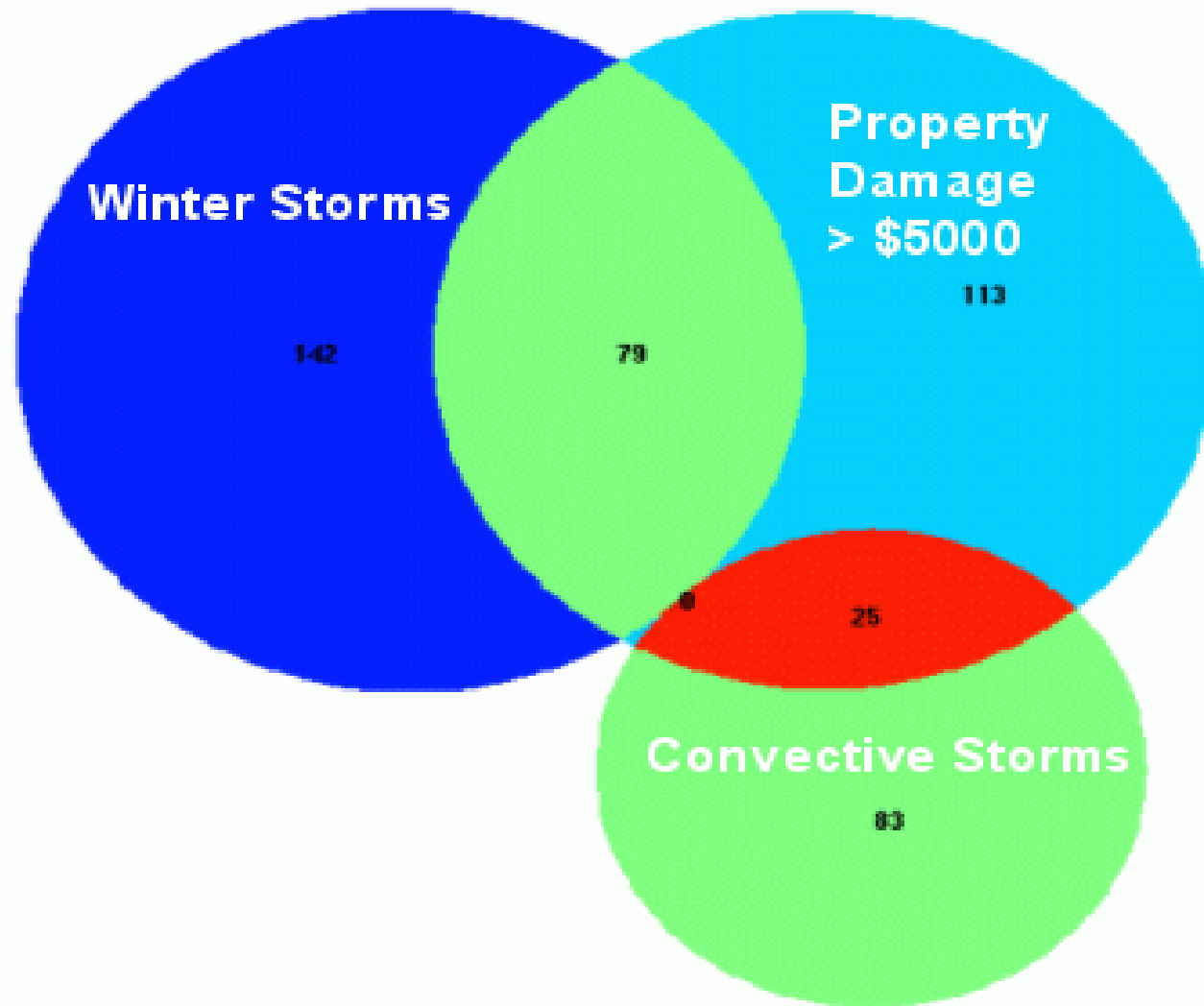
Figure 4.2. MECE possibilities for seasonal forecasts temperature and precipitation anomalies for a specific location.

the compound event
. The probability
will happen is 1.
t one or the other of two mutually exclusive events is the sum of their

More Definitions

- E- Event
- $\Pr\{E\}$ - probability of Event E; $0 \leq \Pr\{E\} \leq 1$
- $\Pr\{E\} = 0$, event does not occur
- $\Pr\{E\} = 1$ event occurs

Storm Reports: Salt Lake County 1993-2005



Number of Opportunities: 2340 (180 days * 13 years)

Two Statistical Frameworks: Frequency vs. Bayesian

- Frequency- probability of an event is its relative frequency after many trials
- a - number of occurrences of E
- n - number of opportunities for E to take place
- a/n - relative frequency of E occurring
- $\Pr\{E\} \rightarrow a/n$ as $n \rightarrow \infty$

Two Statistical Frameworks: Frequency vs. Bayesian

- Bayesian- probability represents the degree of belief of an individual about an outcome of an uncertain event
- Some events occur so rarely that there is no long-term relevant probability
- Two individuals can have different probabilities for same outcome
- Bookies are Bayesian

Live Lines

Choose Your Line			
NFL Football			
Teams	Spread	Money	Over & Under
2011-02-06 18:25			
Pittsburgh Steelers	+2.5 +100	+130	Over 44.5 -110
Green Bay Packers	-2.5 -120	-150	Under 44.5 -110

More concepts

- $\{E\}^c$ - complement of $\{E\}$, event does not occur
- $\Pr\{E\}^c = 1 - \Pr\{E\}$
- $\Pr\{E_1 \cap E_2\}$ - joint probability that E_1 & E_2 occur
- $\Pr\{E_1 \cap E_2\} = 0$ if E_1 & E_2 are mutually exclusive
- $\Pr\{E_1 \cup E_2\}$ - probability that E_1 OR E_2 occur
- $\Pr\{E_1 \cup E_2\} = \Pr\{E_1\} + \Pr\{E_2\} - \Pr\{E_1 \cap E_2\}$

Conditional Probability

- Conditional probability: probability of $\{E_2\}$ given that $\{E_1\}$ has occurred
- $\Pr\{E_2 \mid E_1\} = \Pr\{E_1 \cap E_2\} / \Pr\{E_1\}$
- E_1 is the conditioning event
- If E_1 and E_2 are independent of each other, then
$$\Pr\{E_2 \mid E_1\} = \Pr\{E_2\} \text{ and } \Pr\{E_1 \mid E_2\} = \Pr\{E_1\}$$
- Fair coin- $\Pr\{\text{heads}\} = 0.5$
 - chance of getting heads on second toss is independent of the first
$$\Pr\{\text{heads} \mid \text{heads}\} = 0.5$$
$$\Pr\{\text{heads}\} \text{ twice} = 0.5 * 0.5 = 0.25$$

Bayes Theorem

- $\Pr\{E_2 | E_1\} = \Pr\{E_1 \cap E_2\} / \Pr\{E_1\}$ or
- $\Pr\{E_1 \cap E_2\} = \Pr\{E_2 | E_1\} * \Pr\{E_1\}$
- $\Pr\{E_1 \cap E_2\} = \Pr\{E_1 | E_2\} * \Pr\{E_2\}$ then
- $\Pr\{E_1 | E_2\} = \Pr\{E_2 | E_1\} * \Pr\{E_1\} / \Pr\{E_2\}$
- What is the advantage? Probability of conditioning event E_2 only computed once

Bayesian Application: how a rational person responds to evidence

	Pos Test	Neg Test	TOTAL
DRUG USER	0.495%	0.005%	0.5%
NOT DRUG USER	.995%	98.505%	99.5%
TOTAL	1.49%	98.51%	1

What are odds of falsely accusing non drug user?

E_1 – not drug user

E_2 - positive test

$\Pr\{E_1\}$ – 99.5%

$\Pr\{E_2\}$ – 1.49%

$\Pr\{E_2 | E_1\}$ – .995%

$$\begin{aligned}\Pr\{E_1 | E_2\} &= \Pr\{E_2 | E_1\} * \Pr\{E_1\} / \Pr\{E_2\} = \\ &= 0.995 * 99.5 / 1.49 = 68\%\end{aligned}$$

Conclusion: always ask for second opinion if clean and test positive

Bayesian Application:

	COLD	WARM	TOTAL
DRY	20	60	80
WET	20	0	20
TOTAL	40	60	100

E_1 – cold

E_2 - dry

$\Pr\{E_1\} = 0.4$

$\Pr\{E_2\} = 0.8$

$\Pr\{E_2 | E_1\} = 0.5$

We can't tell if it is cold or warm

But we know it is dry

$$\begin{aligned}\Pr\{E_1 | E_2\} &= \Pr\{E_2 | E_1\} * \Pr\{E_1\} / \Pr\{E_2\} = \\ &= 0.5 * 0.4 / 0.8 = 0.25\end{aligned}$$

NAME _____

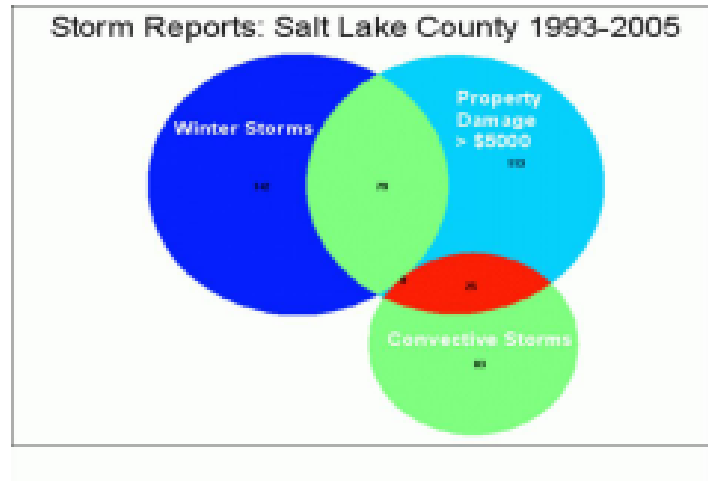
ATMOS 3040/6040 In Class Assignment

Number of opportunities: 2340

$\{E_1\}$ = occurrence of winter storms
(142+79=221)

$\{E_2\}$ = occurrence of convective storms
(25+83=108)

$\{E_3\}$ = occurrence of property damage
(79+113+25= 217)



$Pr\{E_1\} =$ $Pr\{E_2\} =$ $Pr\{E_3\} =$ $Pr\{E_1 \cap E_2\} =$ $Pr\{E_1 \cap E_3\} =$ $Pr\{E_2 \cap E_3\} =$
 $Pr\{E_1 \cup E_2\} =$ $Pr\{E_2 \cup E_3\} =$ $Pr\{E_1 \cup E_3\} =$ $Pr\{E_2 | E_1\} =$ $Pr\{E_3 | E_2\} =$

For a standard deck of 52 cards, deal out all cards in pairs. $Pr\{\text{ace}\} =$ $Pr\{10-K\} =$ $Pr\{2-9\} =$

What is the probability of getting a blackjack for any pair of cards: $Pr\{\text{ace} \cap 10-K\} =$

What is the probability of getting blackjack twice: $Pr\{\text{ace} \cap 10-K\} * Pr\{\text{ace} \cap 10-K\} =$

Now, play at least 20 hands of blackjack with 3 other people Summarize in a table below your own relative frequencies (a/n) of getting an ace, 10-K, 2-9, blackjack, and two blackjacks. Who in your group was really lucky?

	n	a	a/n
ace			
10-K			
2-9			
blackjack			
Two blackjacks			